

Response Time-Optimized Distributed Cloud Resource Allocation

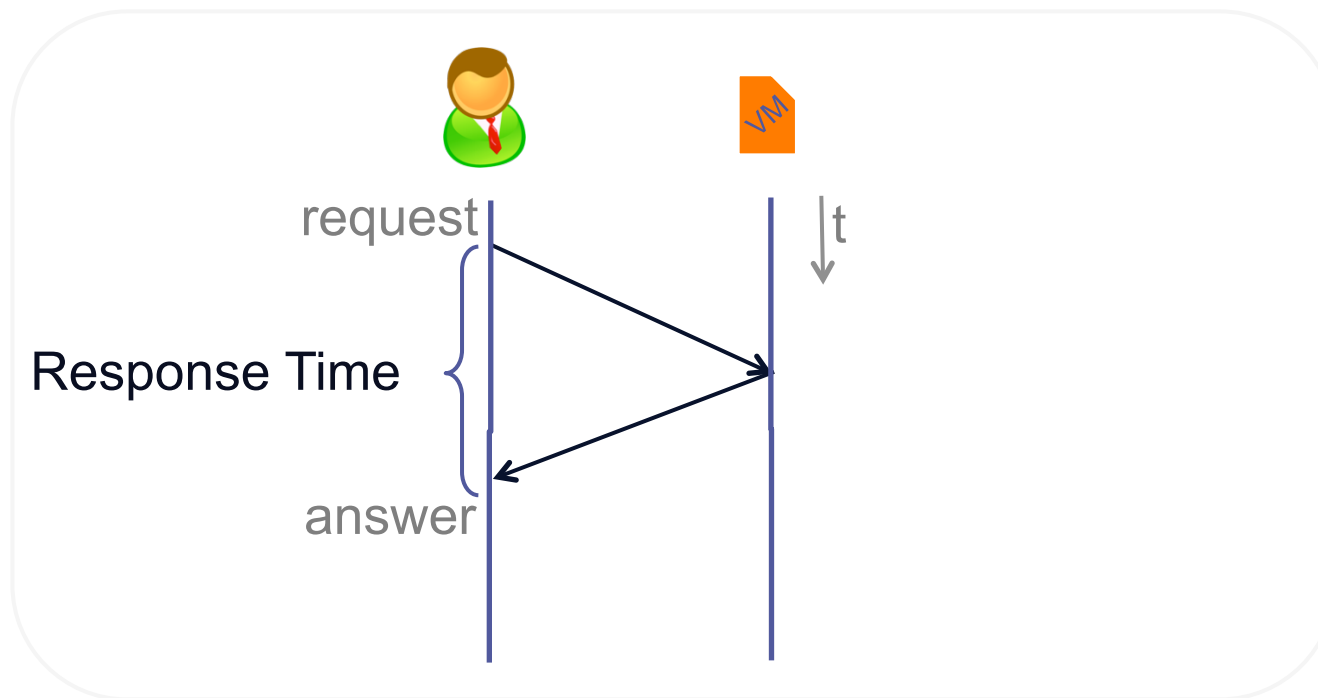
Matthias Keller
Holger Karl



Computer Networks Group
Universität Paderborn

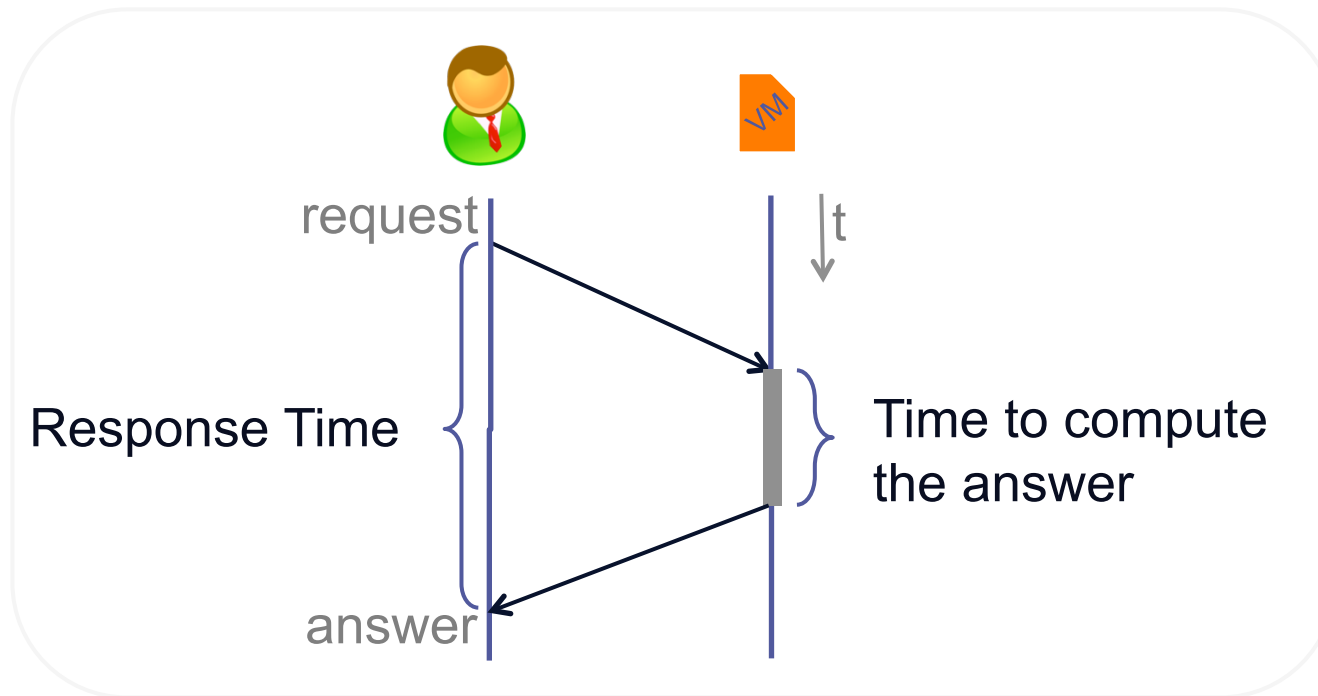
Minimizing response times

- Latency-critical service
 - Interactive, emergency service

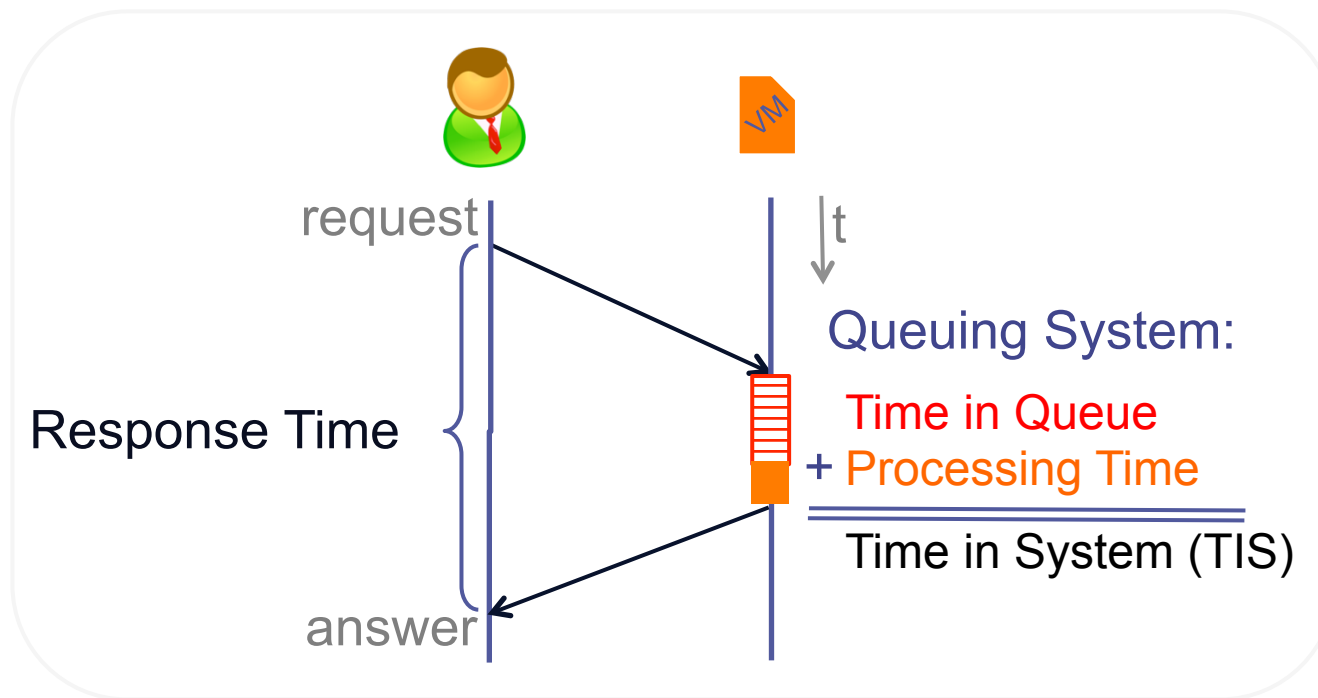


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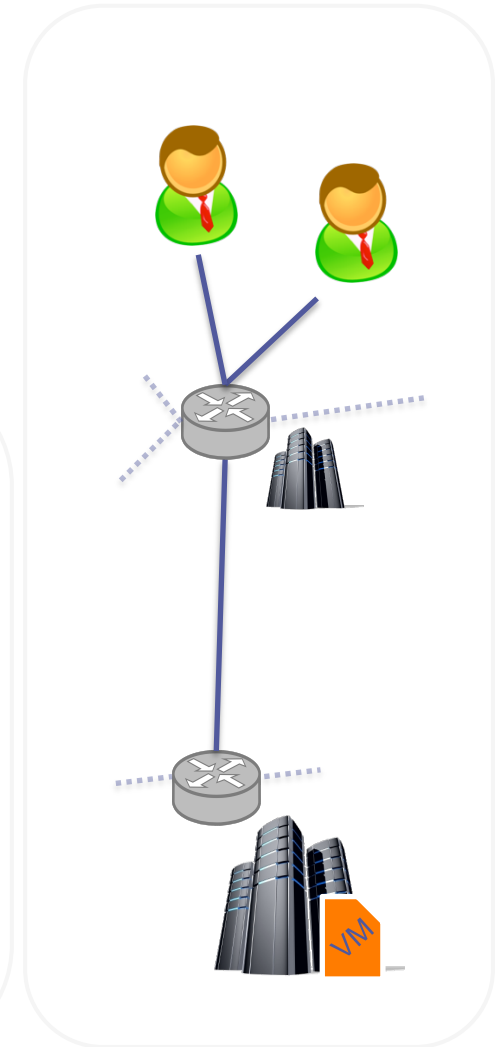
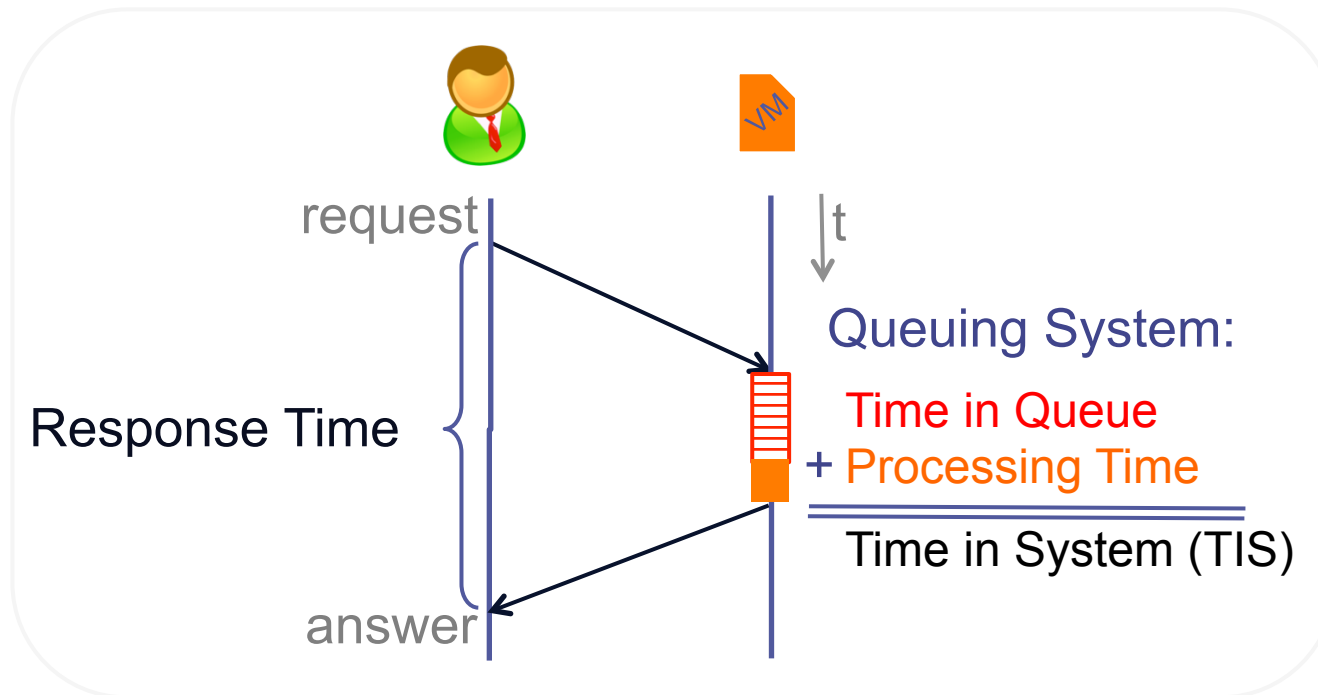


Minimizing response times



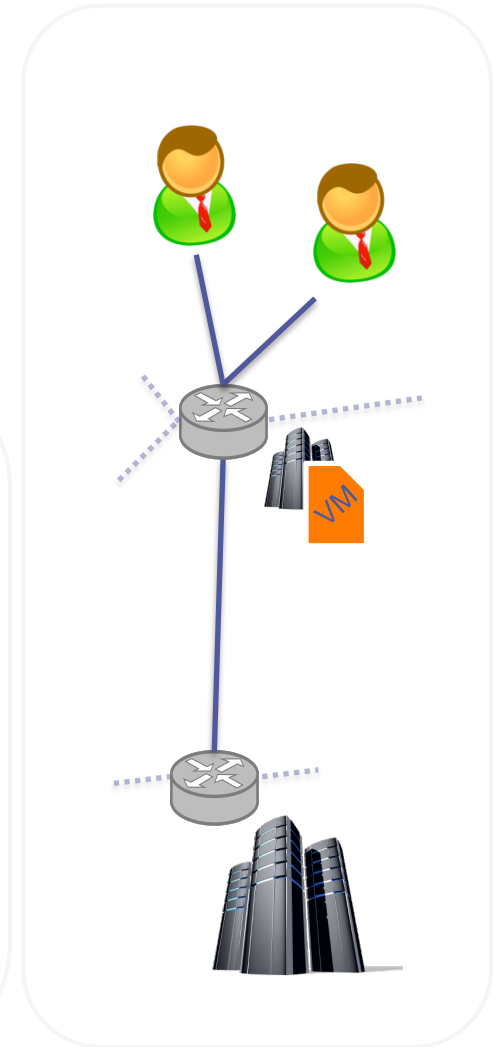
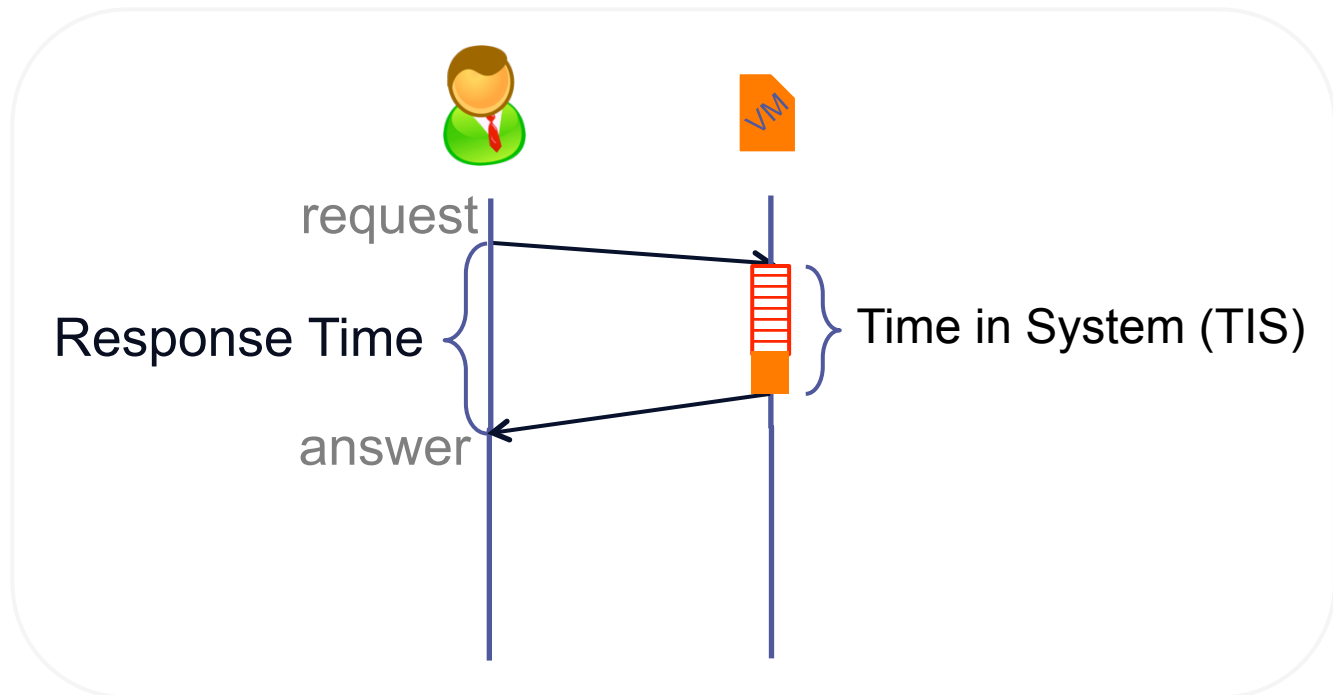
Minimizing response times

- Latency-critical service
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- Decision: Spend time on RTT or TIS



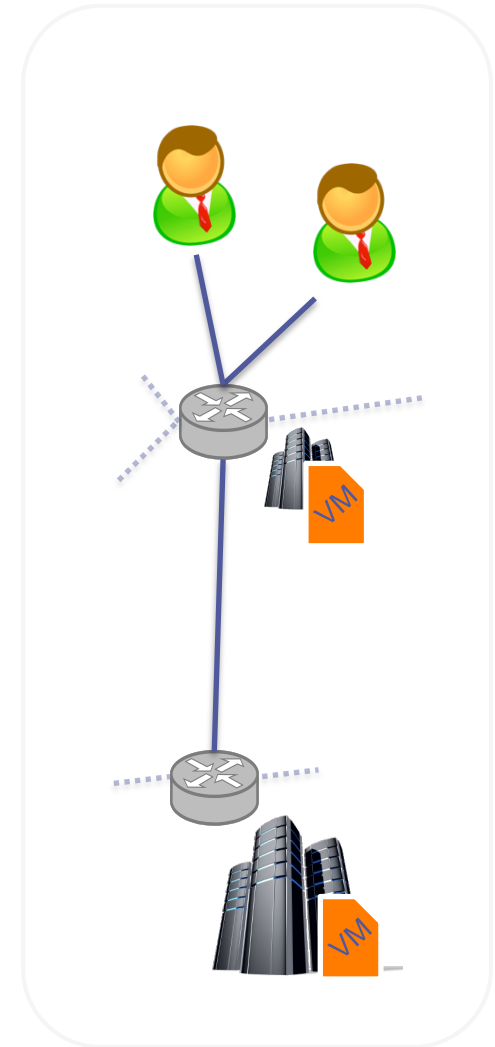
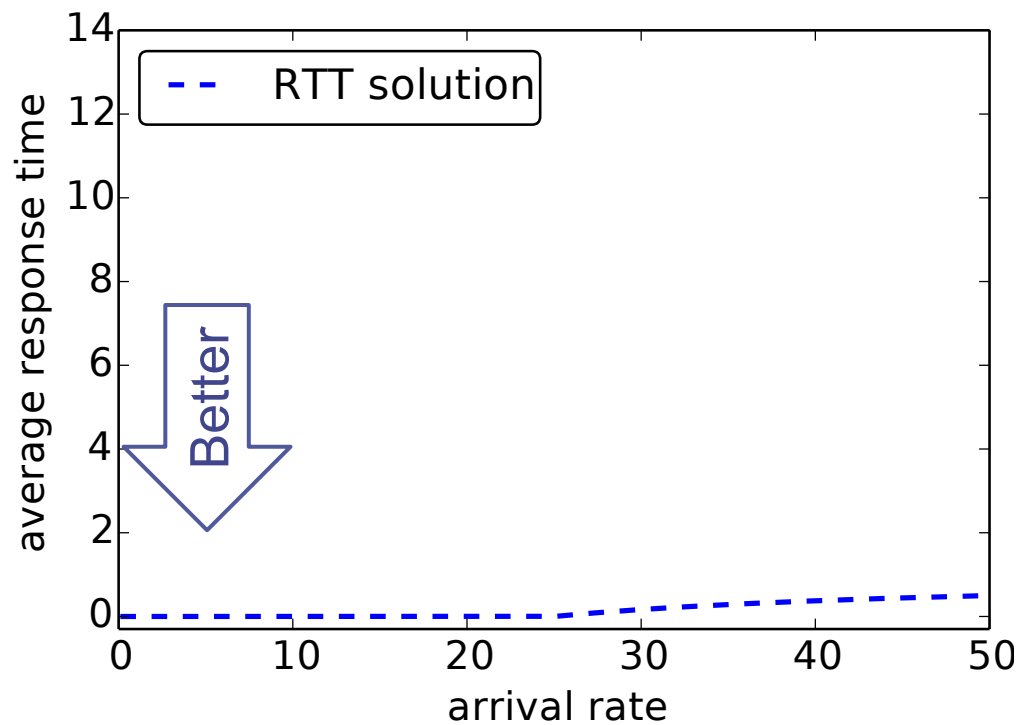
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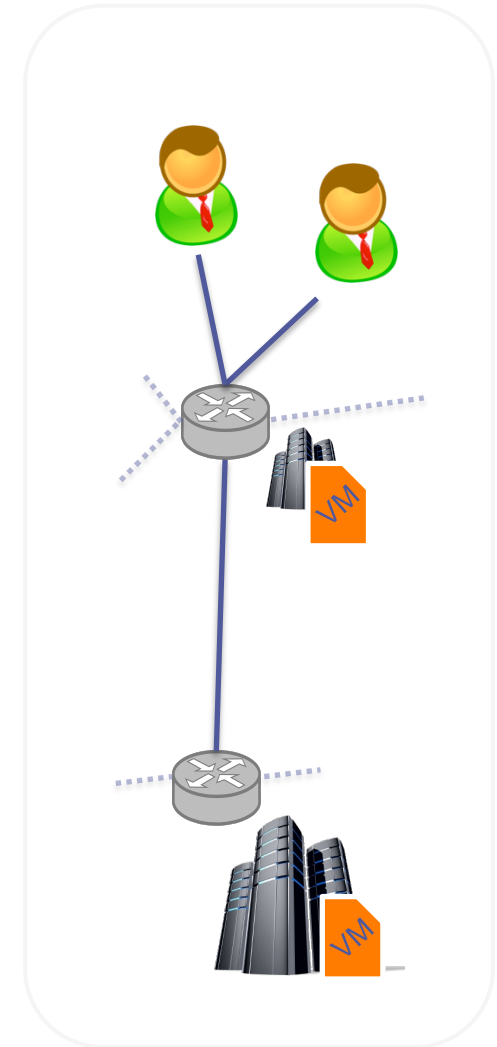
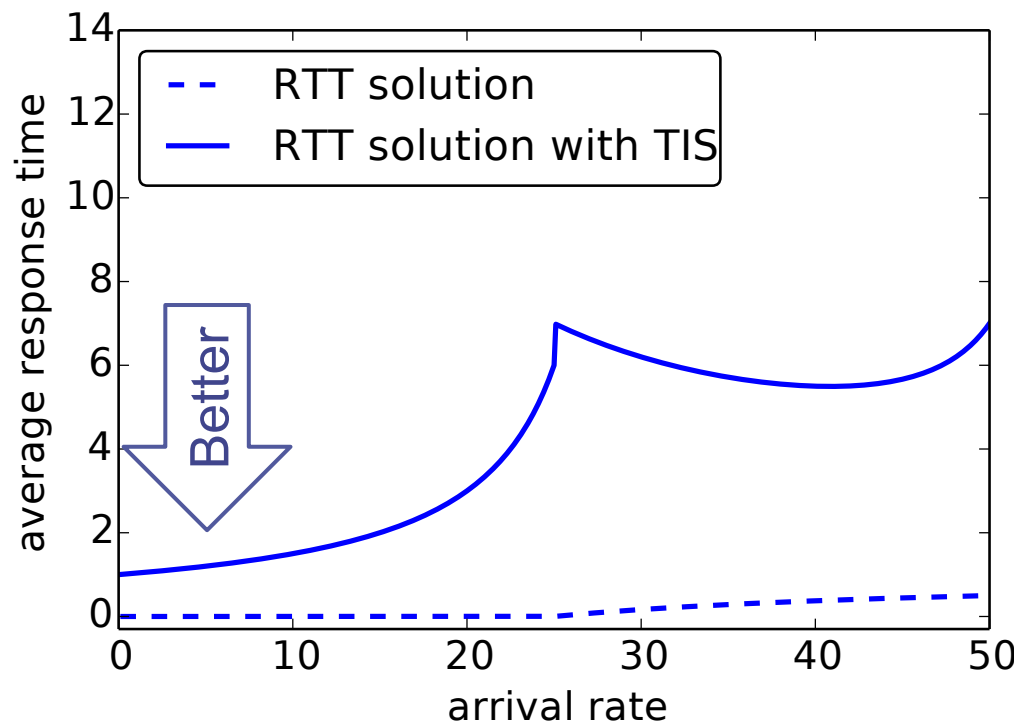
Example: RTT + TIS

- Demand assignment
 - Facility Location Solution with RTT only



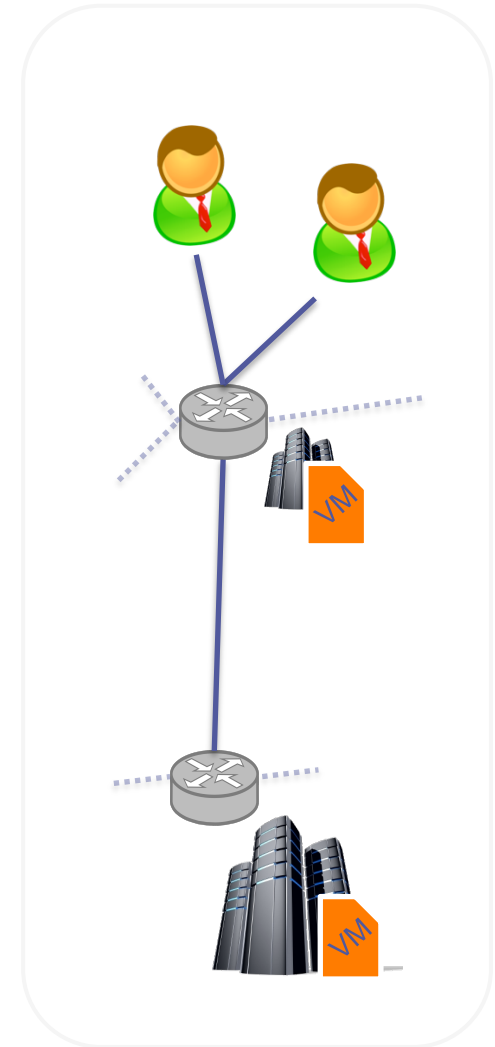
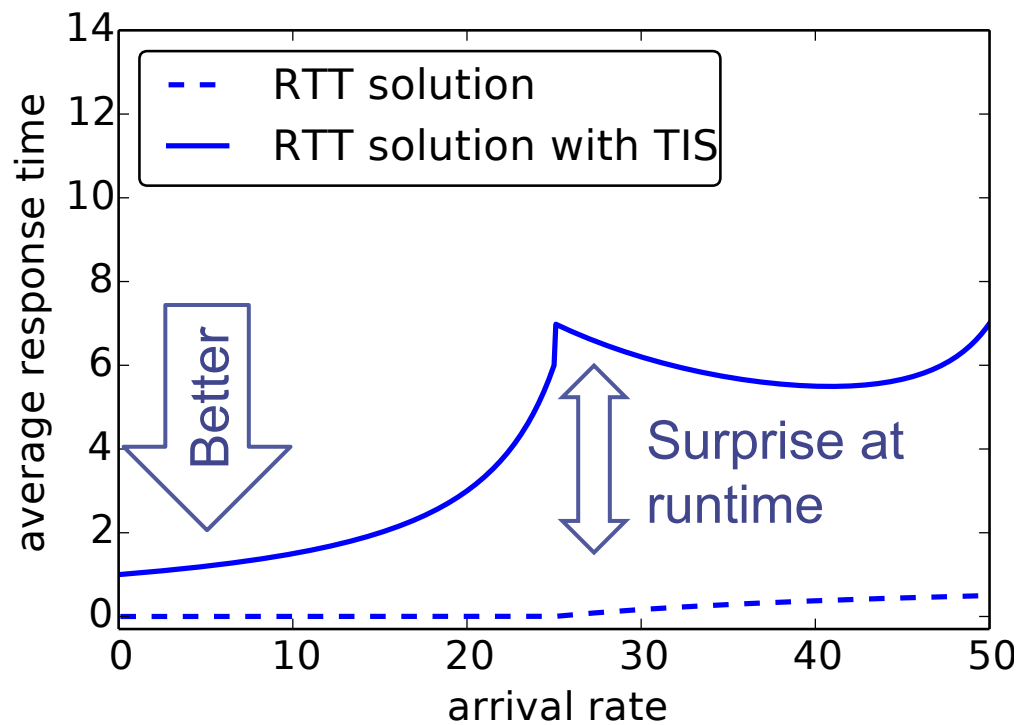
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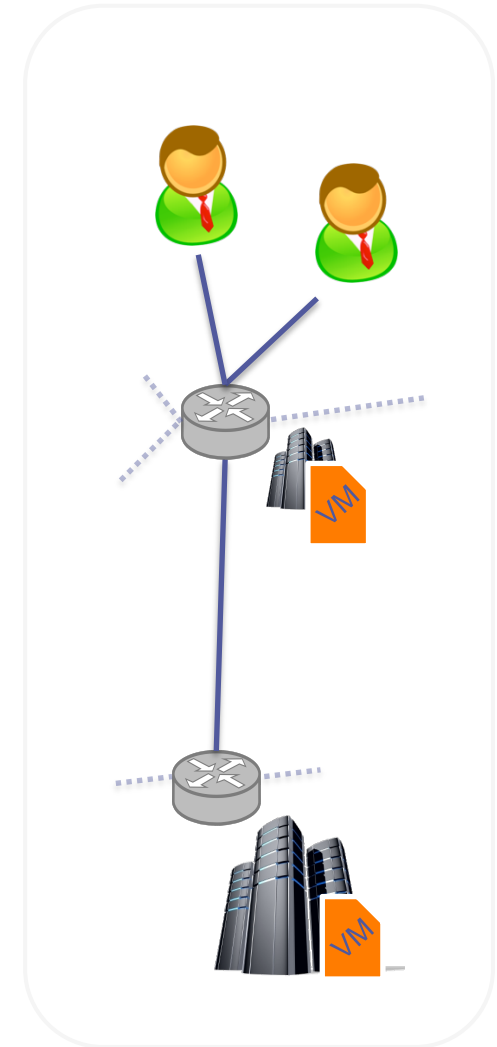
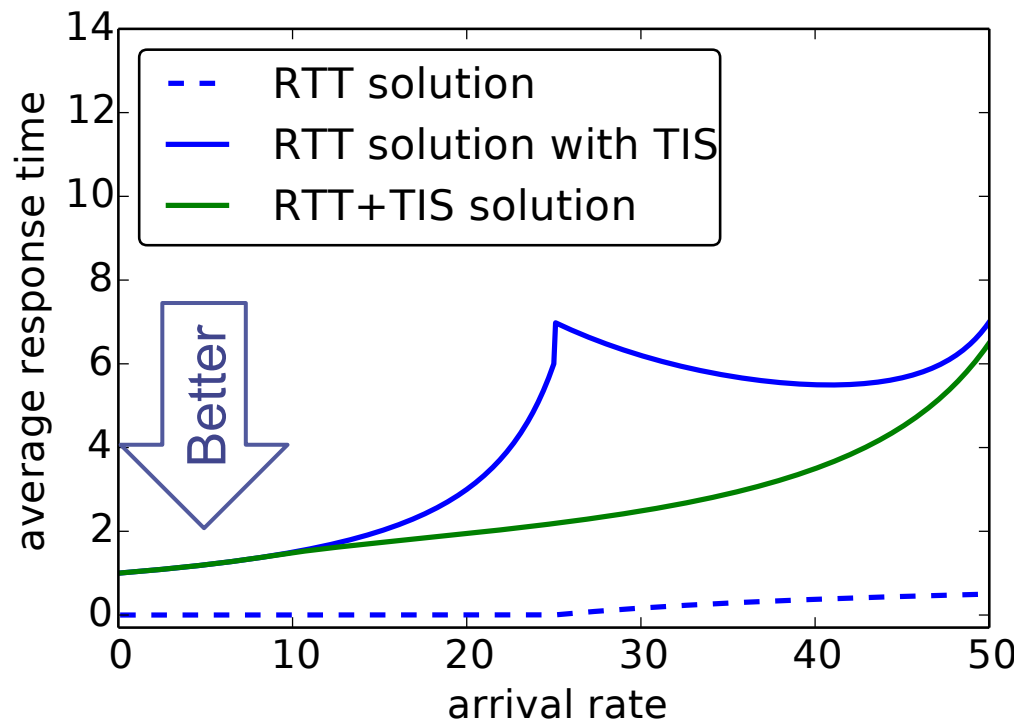
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Example: RTT + TIS

- Demand assignment
 - Facility Location Solution with RTT only
 - With RTT + TIS



Goal

Given

- Network
- Data centres

Objective

- Minimize response time

Means

- Allocation of n VMs at data centres



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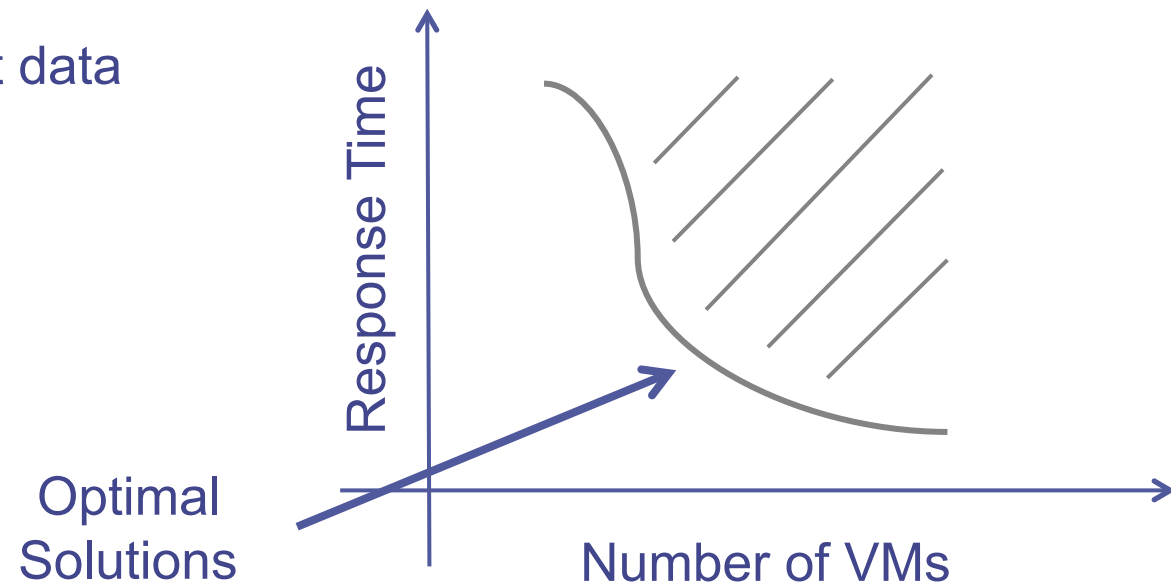
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Characterise:

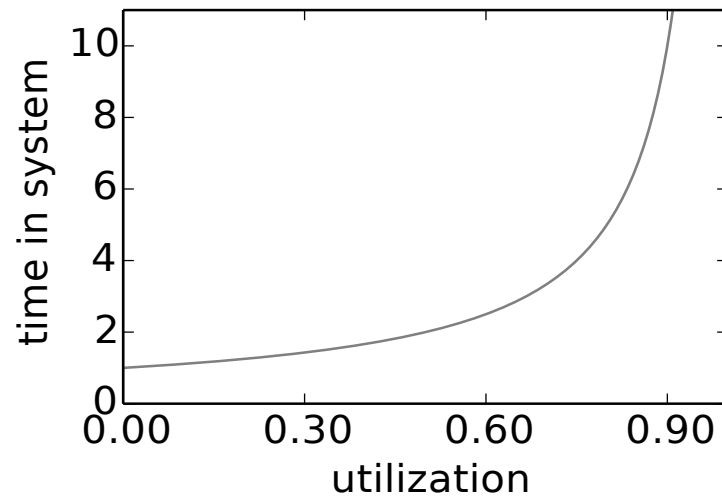
- How does response time depend on number n of VMs?



Two Approaches

Accurate Solution

- Mixed Integer **Convex** Problem
- Convex TIS function for each data centre



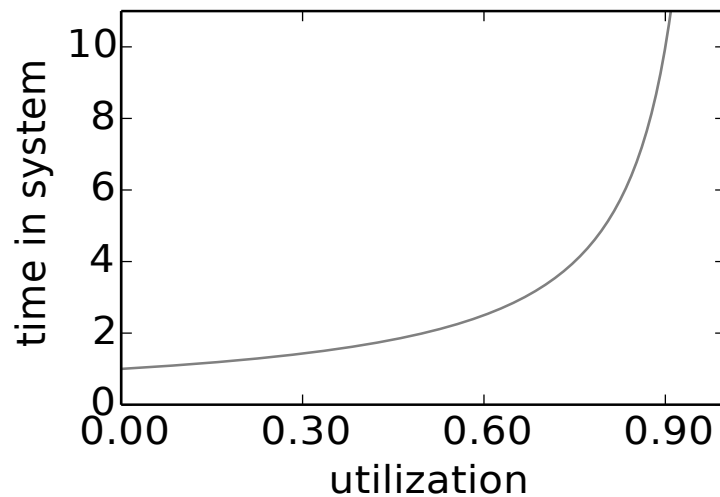
- Tough to solve – **slow?**



Two Approaches

Accurate Solution

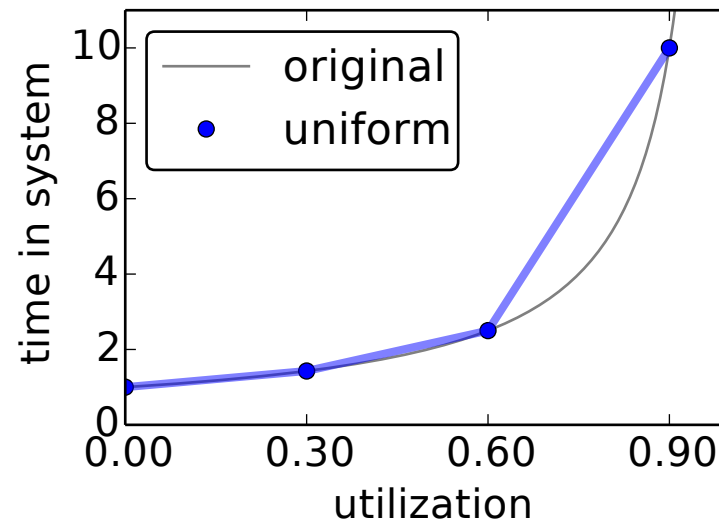
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Approximate Solution

- Reformulation: Mixed Integer **Linear** Problem
- Linearization of TIS function

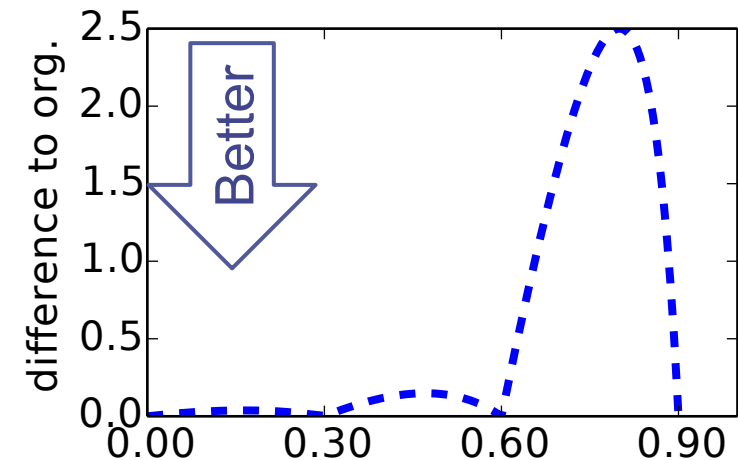
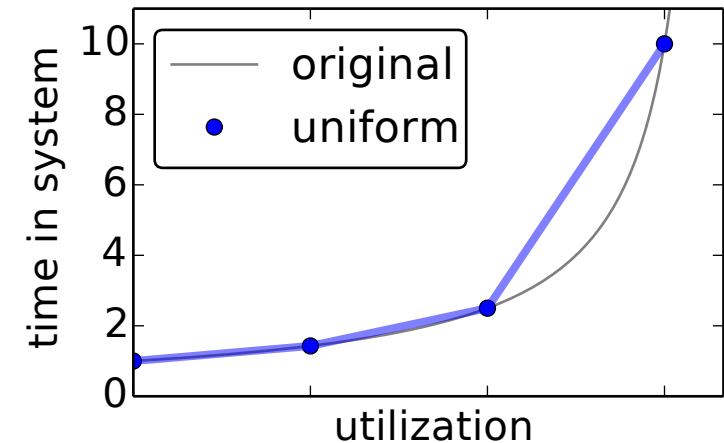


- Accuracy? Speed?



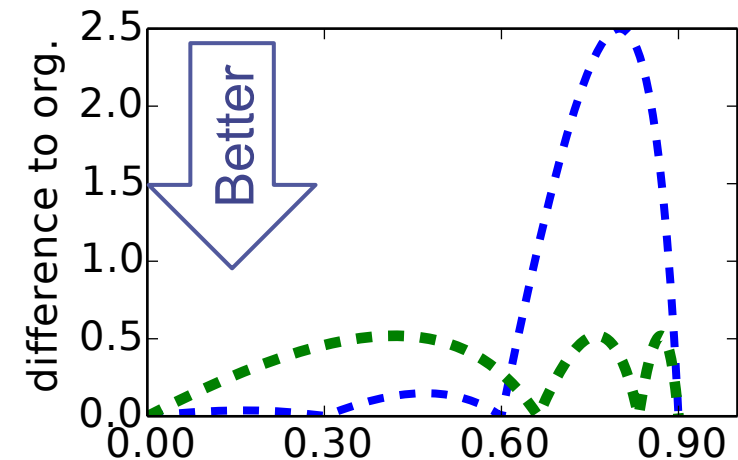
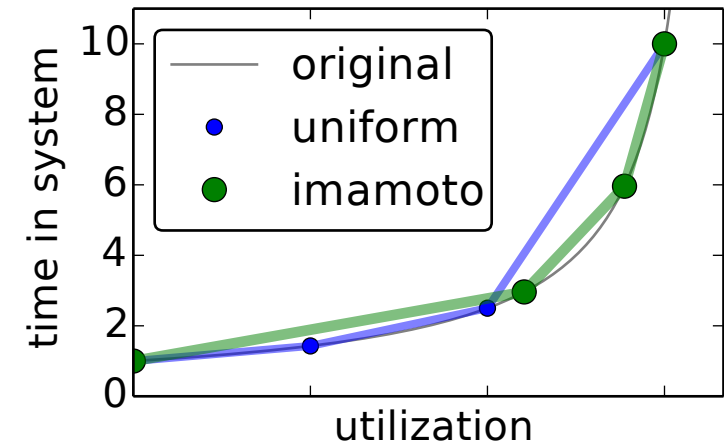
Improve accuracy of linearization

- Objective:
 - Minimize the maximum difference
- Control knobs
 - Number of basepoints
 - End point at asymptote
 - Basepoint positions



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- Objective:
 - Minimize the maximum difference
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 - Basepoint positions
- Evaluation in Paper



Evaluation of both approaches

Convex Problem

- Reference Solution
- Tough to solve – **slow?**

Linear Problem

- Approximate Solution
- Accuracy? Speed?

Linearization



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Linear Problem

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Linearization

Configurations

- 6 topologies, 12 – 54 nodes
- à 50 random demand realizations
- 10 data centre fix



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Linear Problem

- Approximate Solution
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Linearization

VM limit: 5 – 10

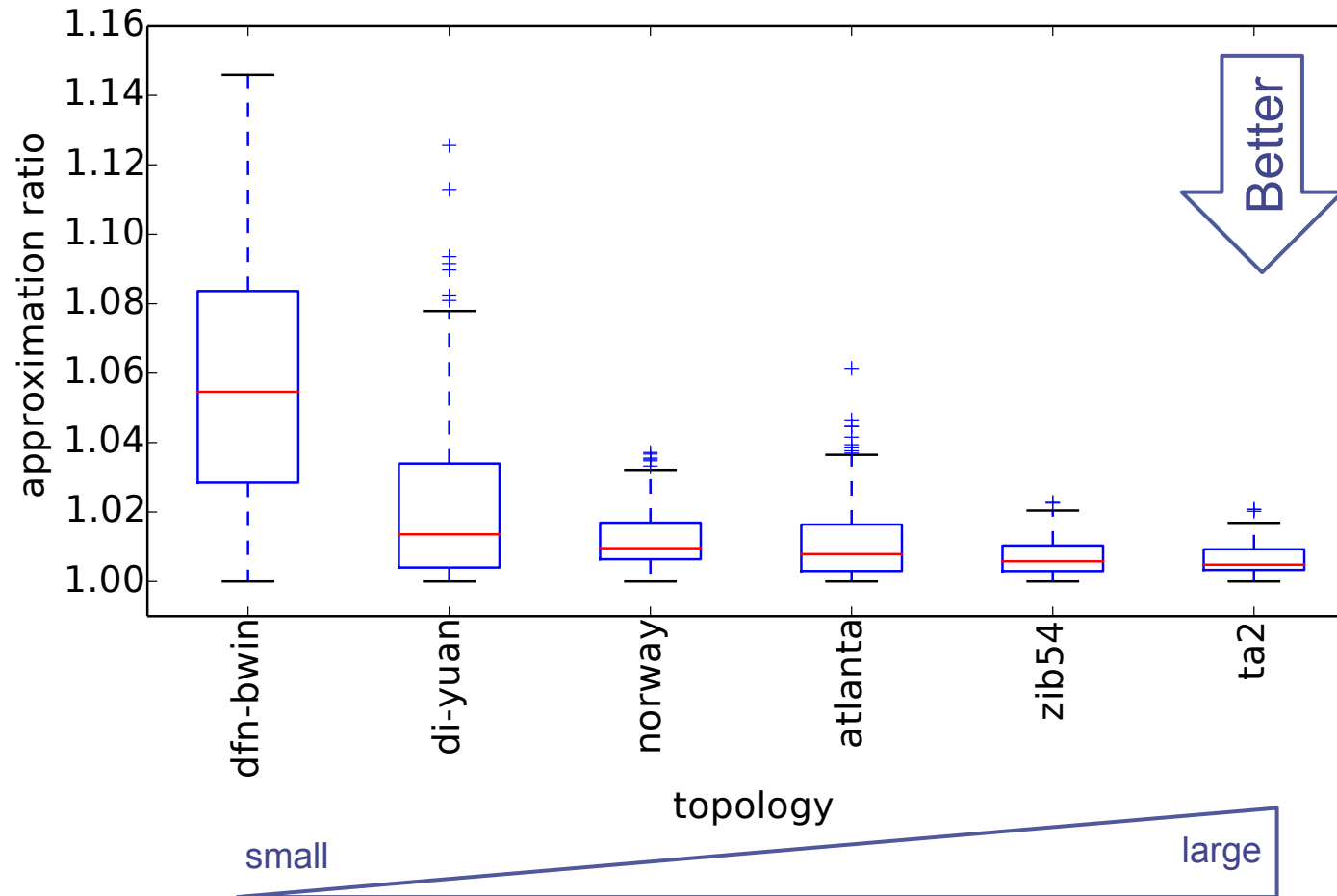
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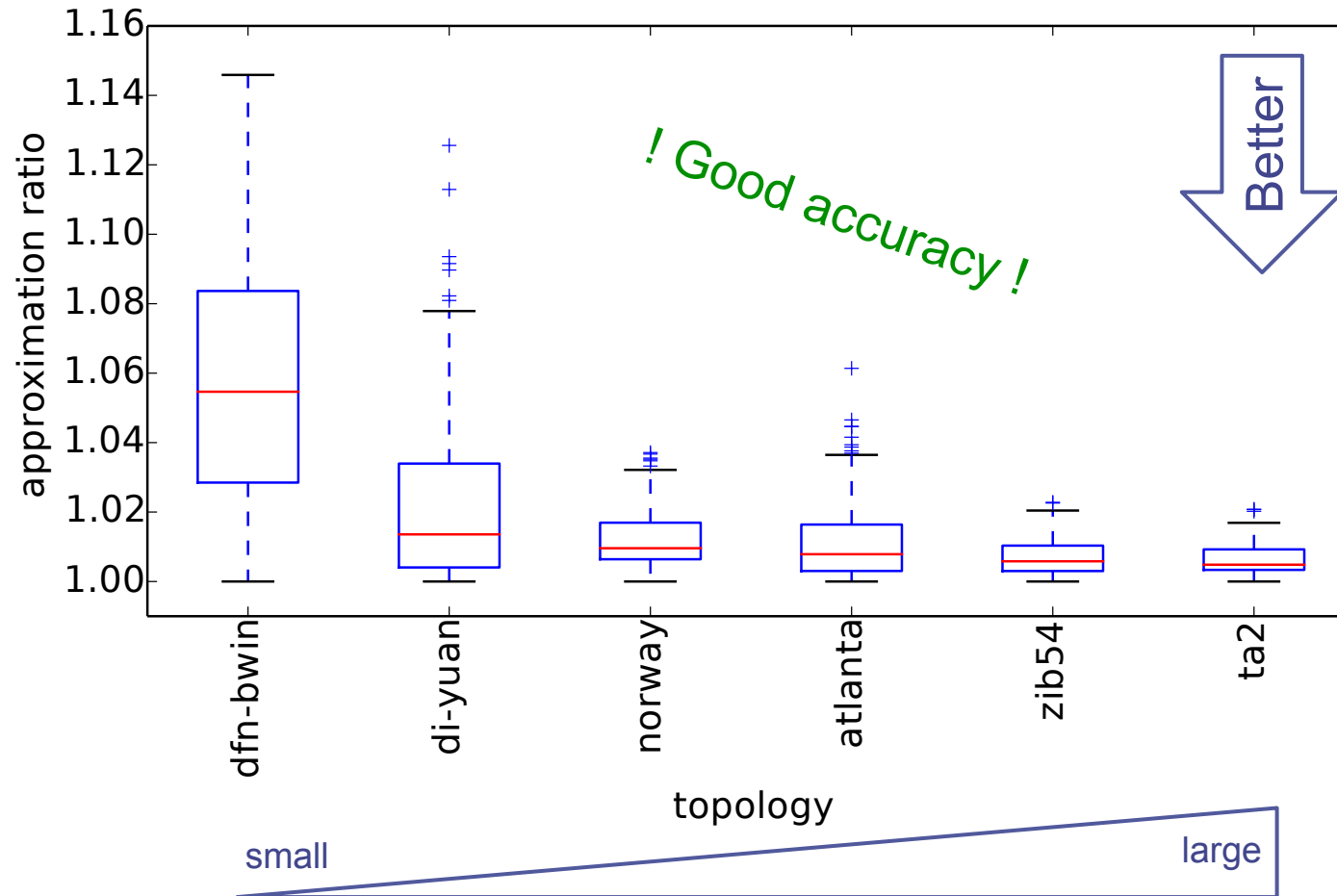
Results – Approximation Ratio

$$\text{approx. ratio} = \frac{\text{Resp.time}_{\text{Linear}}}{\text{Resp.time}_{\text{Convex}}}$$



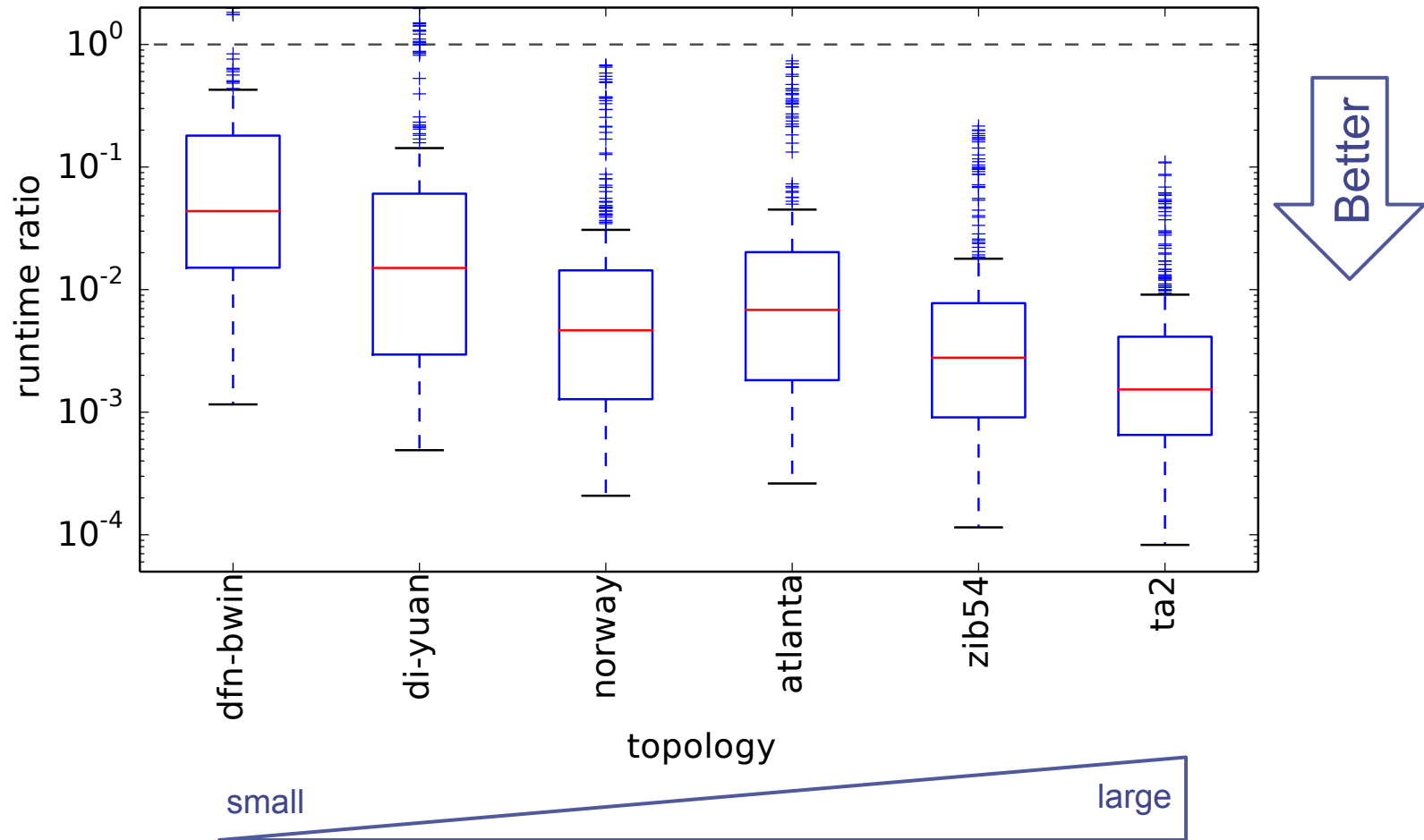
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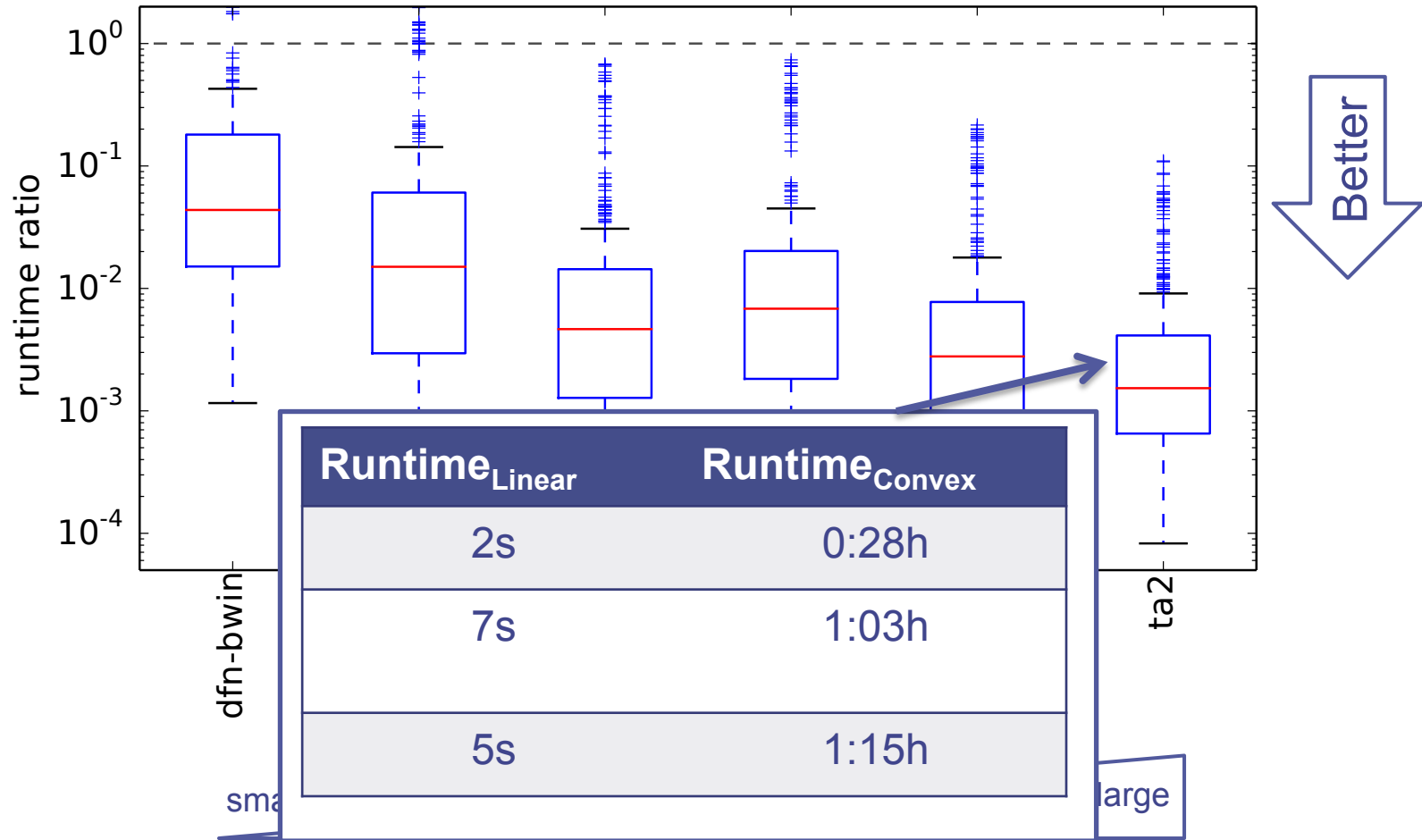
Results – Runtime Ratio

$$\text{runtime ratio} = \frac{\text{Runtime}_{\text{Linear}}}{\text{Runtime}_{\text{Convex}}}$$



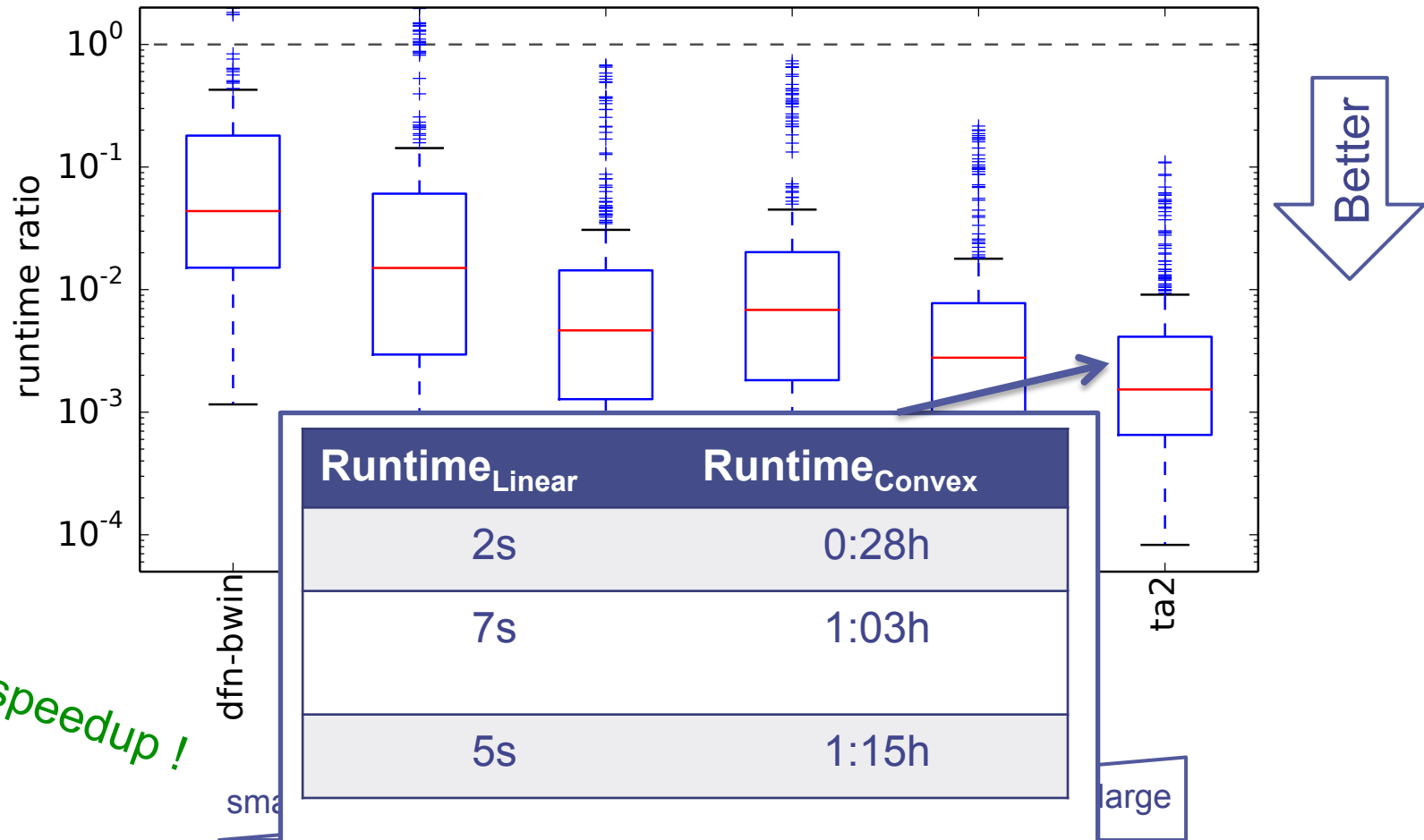
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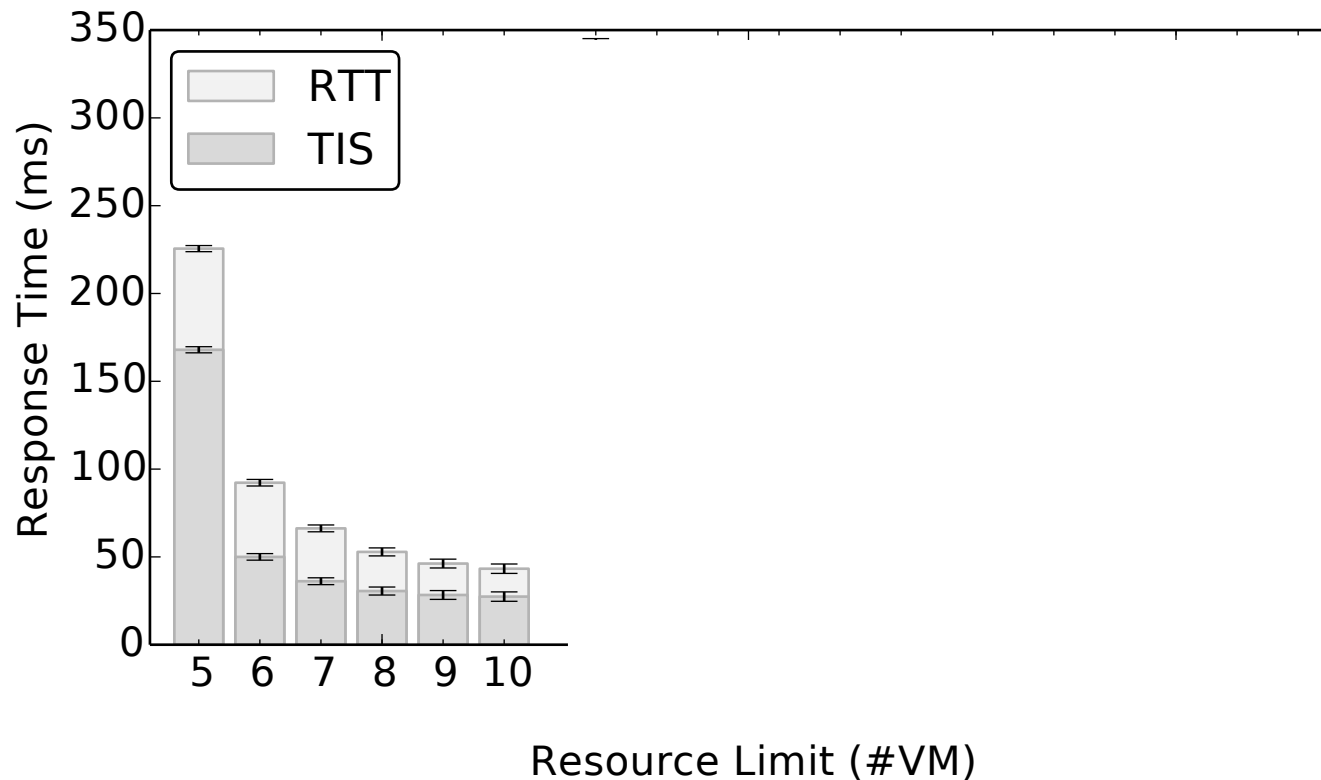
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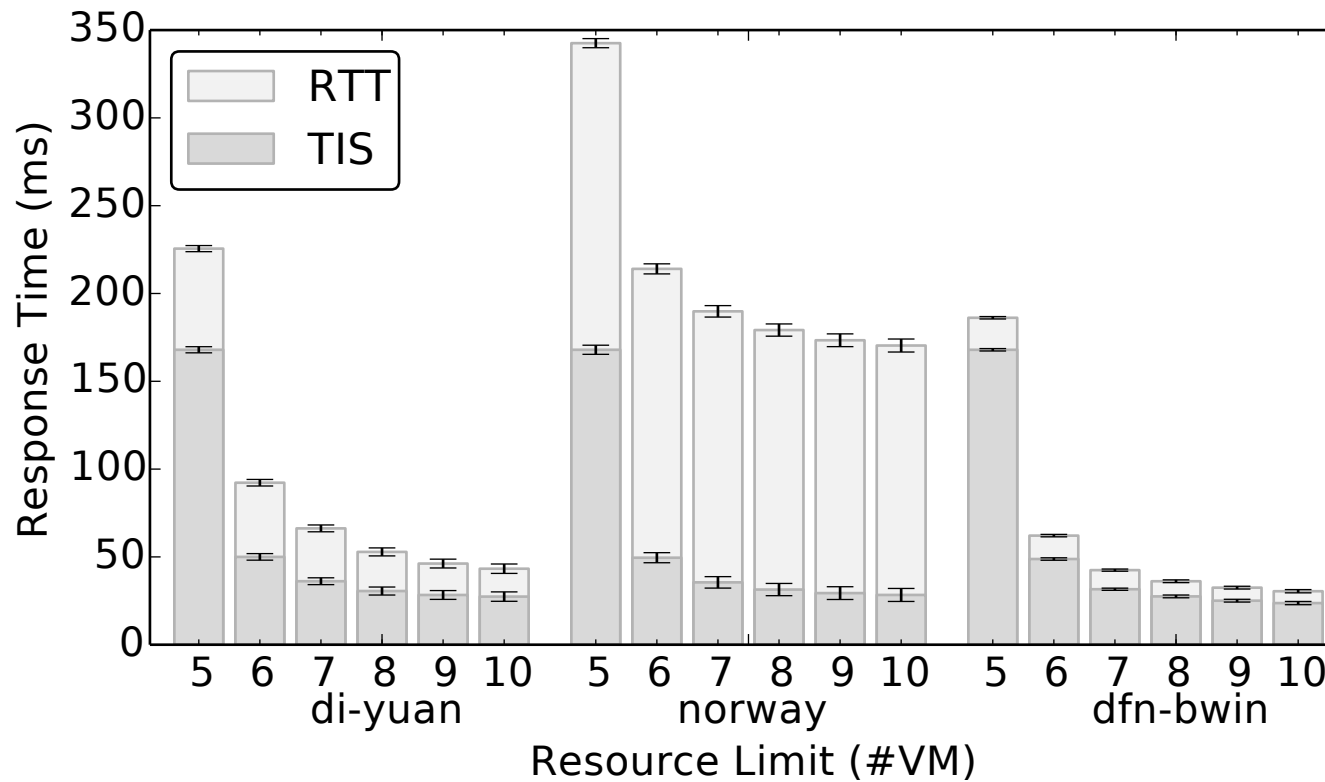
Results – Optimal Solutions

- More Resources:
 - Shorter time in queuing system
 - VMs at closer data centres



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In the paper...

- Convex/Linear Problem Formulation
 - Facility Location Problem & queuing model
 - P-median facility location + convex cost function
 - P-median facility location + piecewise linear cost function
 - Piecewise Linear Function: Minimize maximal difference
 - Convexity Proof
- Evaluation
 - Pareto optimal solutions
 - Compare linear/convex problem
 - Approx. Ratio
 - Runtime



In conclusion...

... adjust your latency-sensitive service:

- **Faster!**
 - Adapt to demand fluctuations swiftly
- **Accurate!**
 - With queuing delay – no surprises at runtime

Linear
Approximation

Processing
Queue Model

