

Understanding Optimal Caching and Opportunistic Caching at “The Edge” of Information Centric Networks

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Outline

How important is edge caching for ICNs?

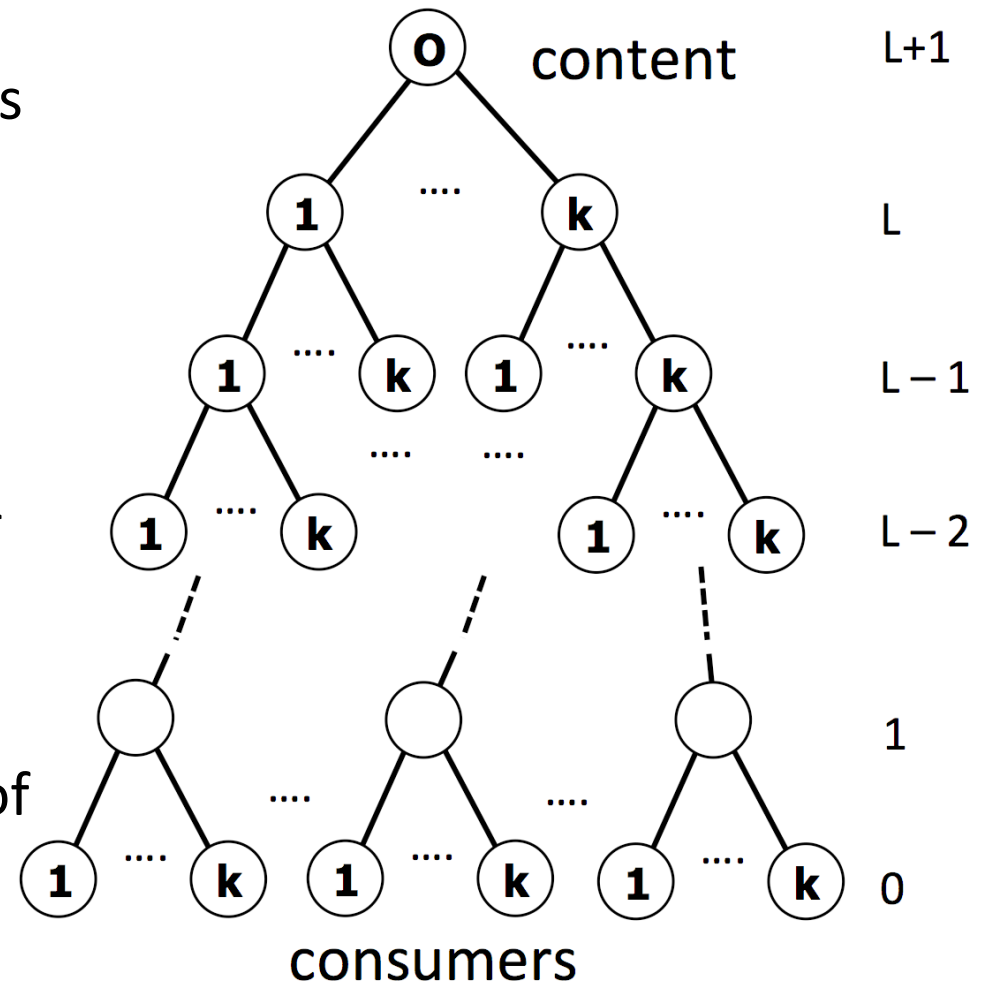
- ❑ Compare optimum on-path caching with opportunistic caching at the edge [near the consumers of content] using a hierarchical caching model (approximation).
- ❑ Model the spatio-temporal locality of reference in content requests. [just a start!]
- ❑ Compare on-path caching with caching at the edge in random networks (ndnSim simulations).
- ❑ Modeling and design implications.

Related Work

- ❑ Models rely on strong assumptions to simplify problem:
 - Equal size objects (unit size)
 - Independent reference model (IRM): requests for information objects arrive according to i.i.d. processes
- ❑ Caching used in most ICN approaches is on-path caching
 - All routers participate in content caching.
 - Caching done along path to origin sites.
 - Inconclusive results on impact of caching at the core of ICNs.
- ❑ Not enough comparison of on-path caching with edge caching.

Hierarchical Caching Model

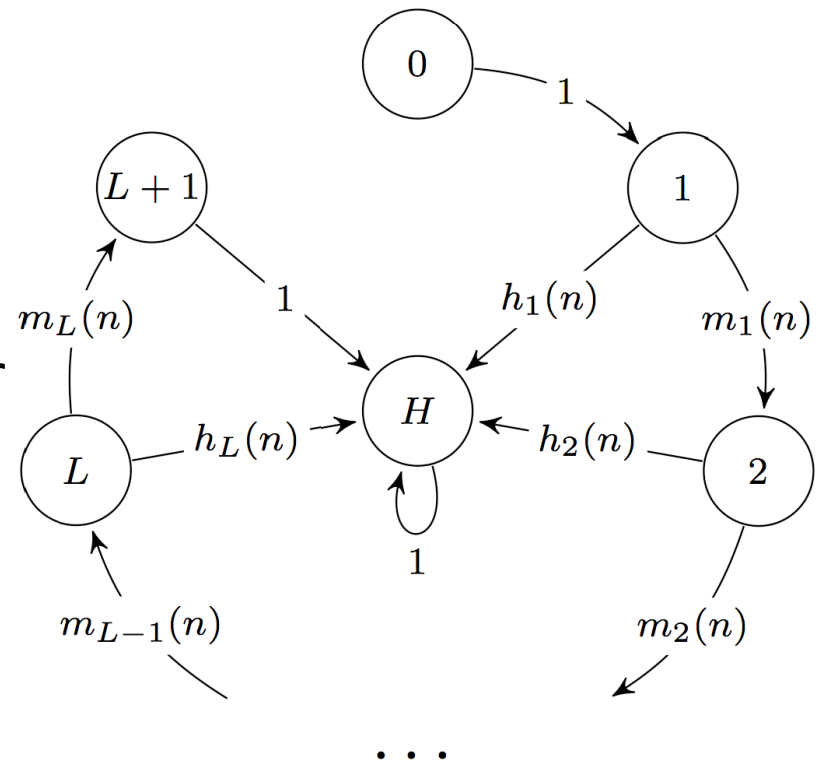
- ❑ Simple hierarchy of LRU caches in $L+2$ levels.
- ❑ Consumers are at level 0.
- ❑ Content source at level $L+1$.
- ❑ L levels of caching.
- ❑ Each tree node has k children.
- ❑ On-path caching:
 - Forward request from consumer to root until cache hit occurs.
 - Cache content along entire reverse path.
- ❑ Assume IRM.
- ❑ How much should each layer of the caching hierarchy store to get the most from a constrained caching budget?



Of course, Level 1 should have a much larger degree, but that would help make our case stronger

Hierarchical Caching Model

- ❑ Caching tree structure of $L+2$ levels, assume IRM.
- ❑ $\tau(n)$: Expected time to access content (ETTA):
 - Measured in terms of the number of hops between consumer and nearest copy of content.
 - $m_j(n)$: Miss probability of a given cache for object n at level i of the caching system.
 - $h_j(n) = 1 - m_j(n)$



$$\tau(n) = 1 + \sum_{i=1}^L \prod_{j=1}^i m_j(n)$$

Hierarchical Caching Model

□ $\tau_i(n)$: Expected time to visit state H from state i .

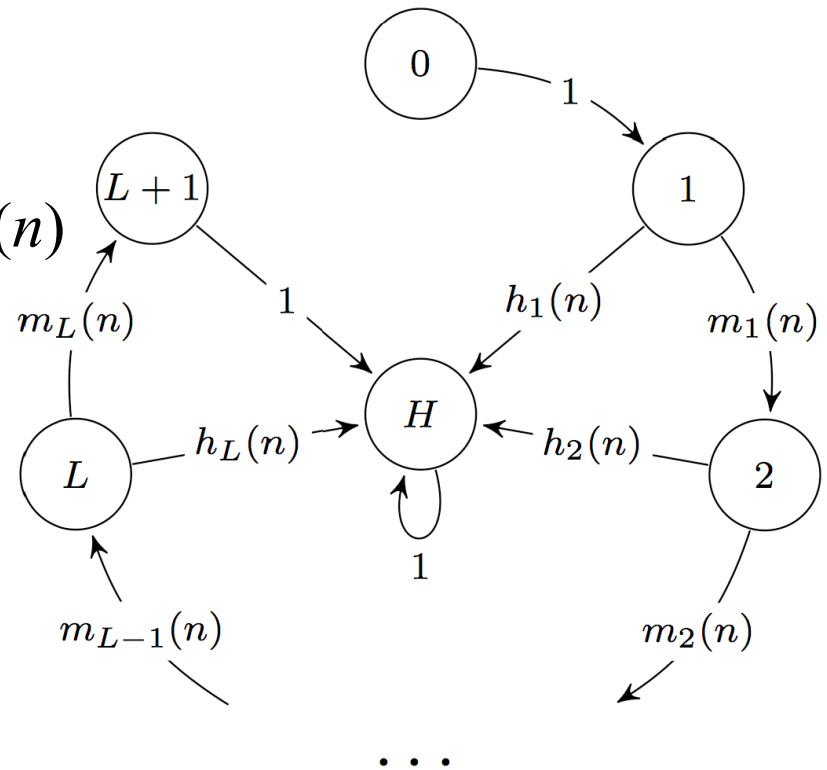
□ $\tau_0(n)$ can be expressed recursively:

$$\begin{aligned} \tau_0(n) &= 1 + \tau_1(n) \\ &= 1 + 1 + m_1(n) \tau_2(n) + h_1(n) \tau_H(n) \\ &= 1 + 1 + m_1(n) \tau_2(n) + [1 - m_1(n)] \tau_H(n) \end{aligned}$$

□ By induction:

$$\tau_0(n) = 2 + \sum_{i=1}^L \prod_{j=1}^i m_j(n)$$

□ Given that state H has the content, $\tau(n) = \tau_0(n) - 1$ and the result follows.



$$\tau(n) = 1 + \sum_{i=1}^L \prod_{j=1}^i m_j(n)$$

Hierarchical Caching Model

Optimal cache allocation problem:

- Given a total cache budget C and a caching tree of L levels with each node having k children
- **Find the optimum breakdown of C across all levels that minimizes ETTA.**

$$\mathbf{c}^* = \underset{\mathbf{c}}{\operatorname{argmin}} \sum_{n=1}^N q(n) \tau(n; \mathbf{c})$$

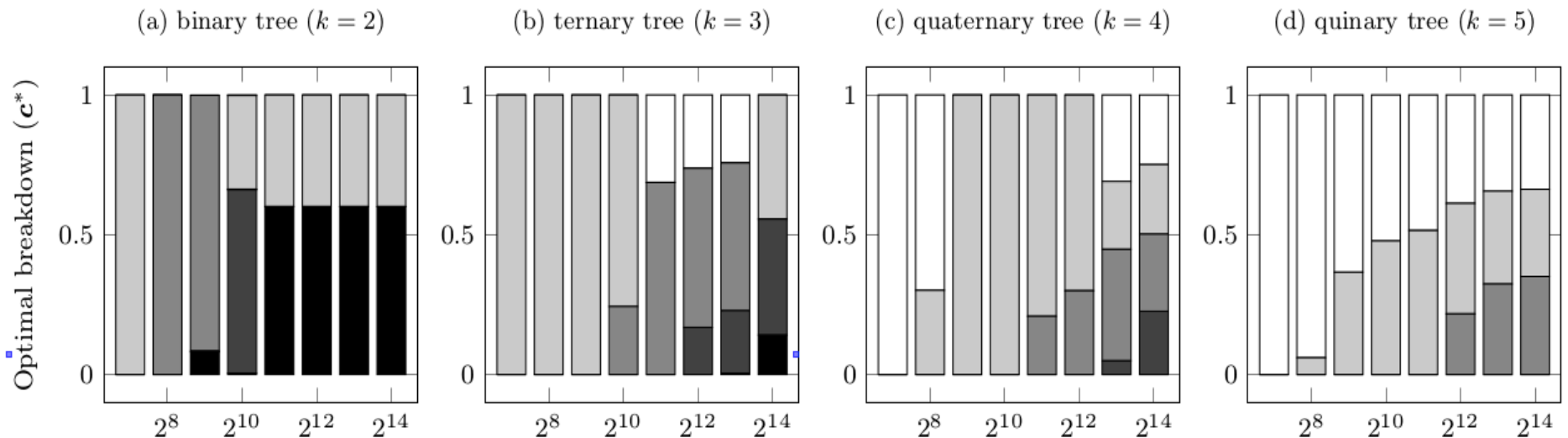
$$\text{s.t.} \quad \sum_{\ell=1}^L c(\ell) k^{(L-\ell)} = C, \quad \text{and}$$

$$c(\ell) \geq 0 \text{ and integer } \forall \ell \in \{1, \dots, L\}$$

- $q(n)$ = popularity of content n .
- $c(l)$ = capacity of a cache at level l .
- \mathbf{c}^* = vector of optimal cache sizes.

Optimal Breakdown of Caching Budget

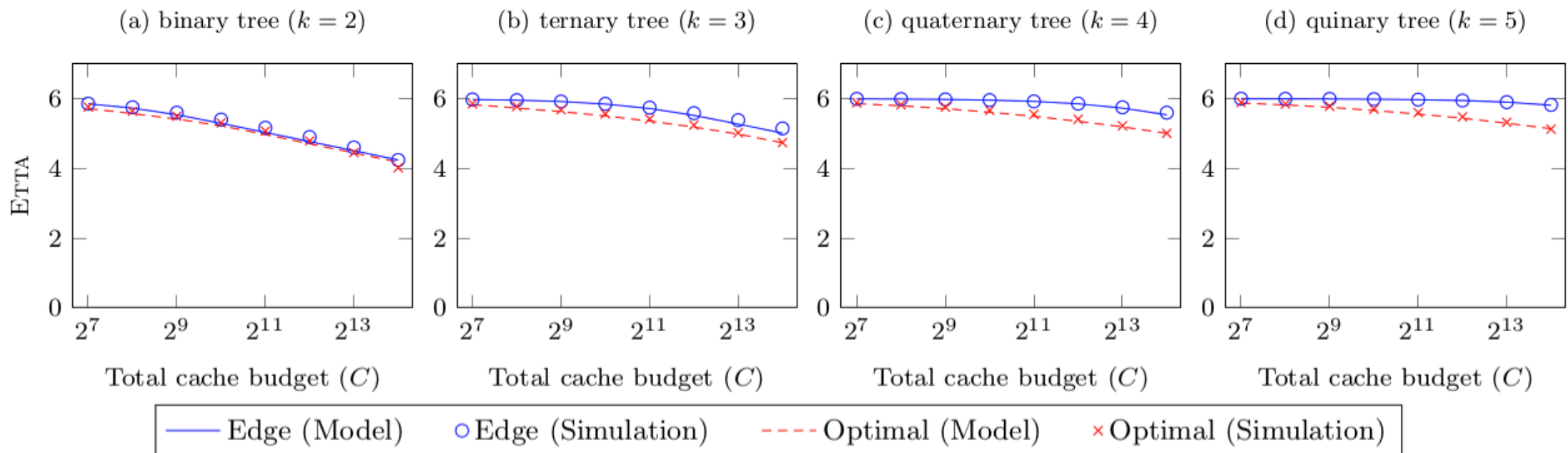
- ❑ Consumers at level 0, four caching levels, content at level six.
- ❑ 1M objects, IRM.
- ❑ Identical objects have same popularity among all users.
- ❑ Proportion of caching for increasing degree k and budget C .



Edge caching becomes more important as C increases!

ETTA for Optimal Caching and Edge Caching

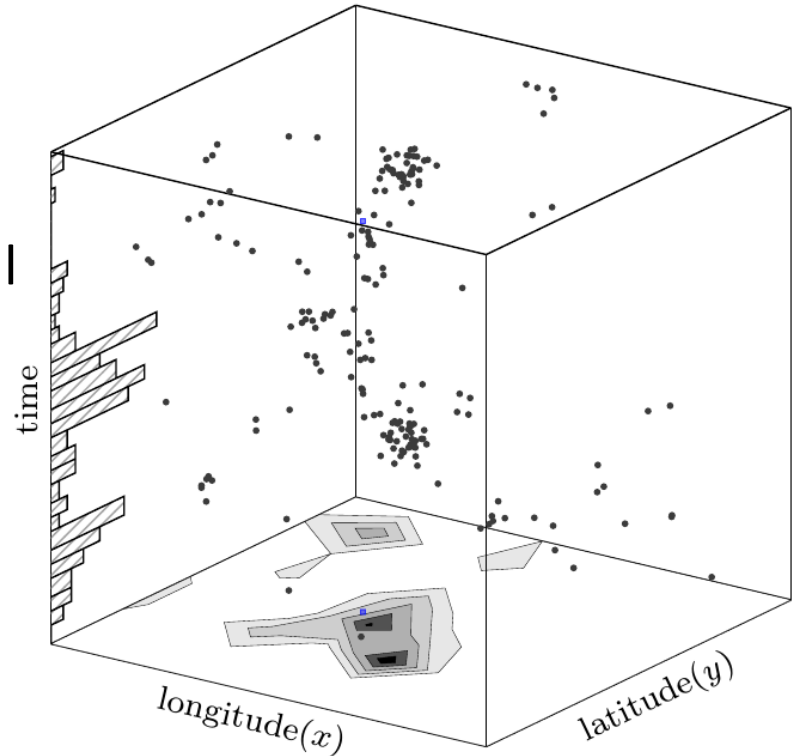
- Same assumptions as before for optimal caching.
- Edge caching: All caching budget C only at Level 1.
- Results based on model and ndnSim simulations.



Edge caching is within 10% of the optimum!

Capturing Spatio-Temporal Reference Locality

- ❑ **Spatial locality of reference**: Impact of user geographical diversity on content requests.
- ❑ **Temporal locality of reference**: Temporal evolution of content popularity.
- ❑ Generate “center points” of a Poisson process that generate off-springs and so on based on number of objects, object popularity [Zipf distribution], and localization factor.



- ❑ *Reference locality* (β) = ave. # off-springs for each center point ($0 \leq \beta < 1$);

$$q_\ell(n) = \begin{cases} q(n) & \ell = 0, \\ k q_{\ell-1}(n) m_{\ell-1}(n) & 0 < \ell \leq L, \end{cases}$$

$$q_u(n, t) = \begin{cases} \lim_{\Delta t \rightarrow 0} \frac{\mathbb{E}[N_u(n, t + \Delta t)]}{\Delta t} & u \in \{\ell_1\}, \\ \sum_{c \in \mathcal{C}_u} q_c(n, t) m_c(n, t) & u \notin \{\ell_1\}. \end{cases}$$

Algorithm for Generating Object References with Localization in a d-dimensional Space

Generate_Trace(α, β)

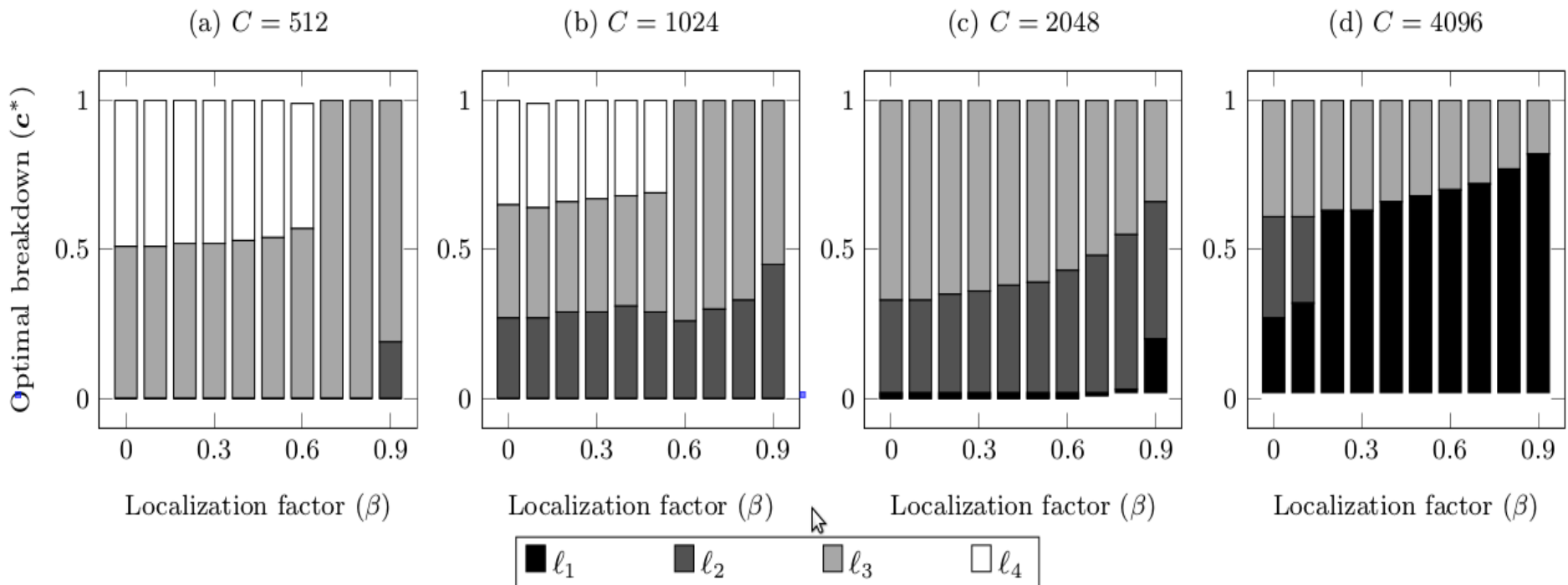
```
X  $\leftarrow$   $\emptyset$ 
for every object n {
   $q_n \propto n^{-\alpha}$ 
   $\Pi_n \leftarrow$  Hawkes( $q_n, \beta$ )
  X  $\leftarrow$  X  $\cup$   $\Pi_n$ 
}
return X
```

Hawkes(ρ, β)

```
 $n_t \leftarrow$  Poisson( $\rho$ )
for i  $\leftarrow$  1 to  $n_t$ 
   $\Pi_i \leftarrow$  Uniform(0,1)
  idx  $\leftarrow$  1
  end  $\leftarrow$   $n_t$ 
While idx <  $n_t$  {
   $n_c \leftarrow$  Poisson( $\beta$ )
  for j  $\leftarrow$  1 to  $n_c$ 
     $\Pi \leftarrow$   $\Pi \cup (\Pi_{idx} + N(0,1))$ 
     $n_t \leftarrow$   $n_t + n_c$ 
  }
return  $\Pi$ 
```

Optimal Breakdown of Caching Budget

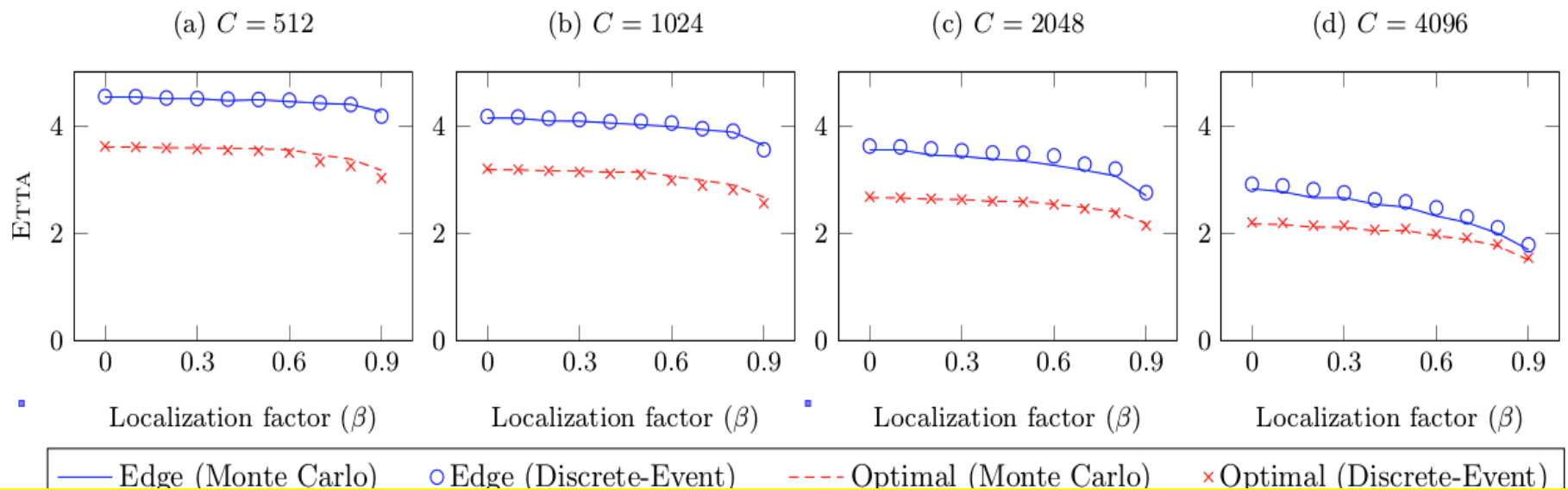
- ❑ Consumers at level 0, four caching levels, content at level six.
- ❑ Reference locality (β) varied from 0 (IRM) to 1.
- ❑ Proportion of caching for increasing β and budget C .



Edge caching dominates as β and C increase!

ETTA for Optimal Caching and Edge Caching

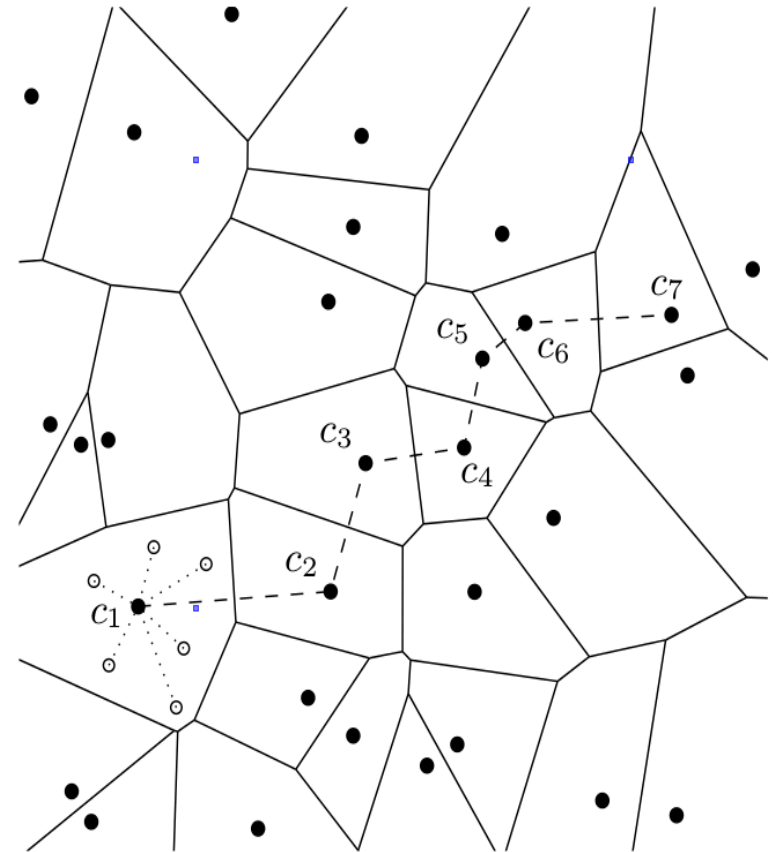
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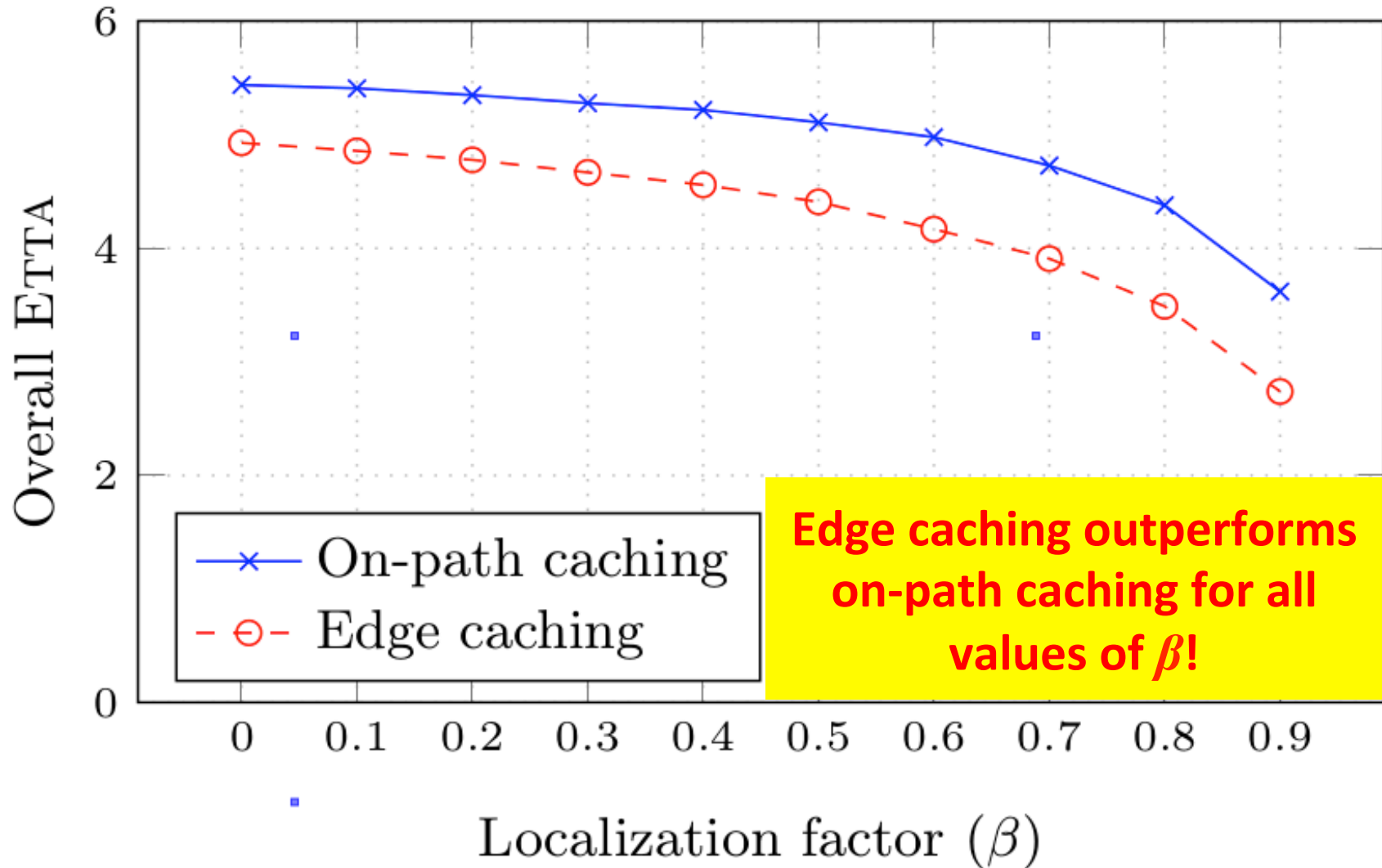
Edge caching is within 8% of the optimum as C and β increase.

Caching On Random Networks

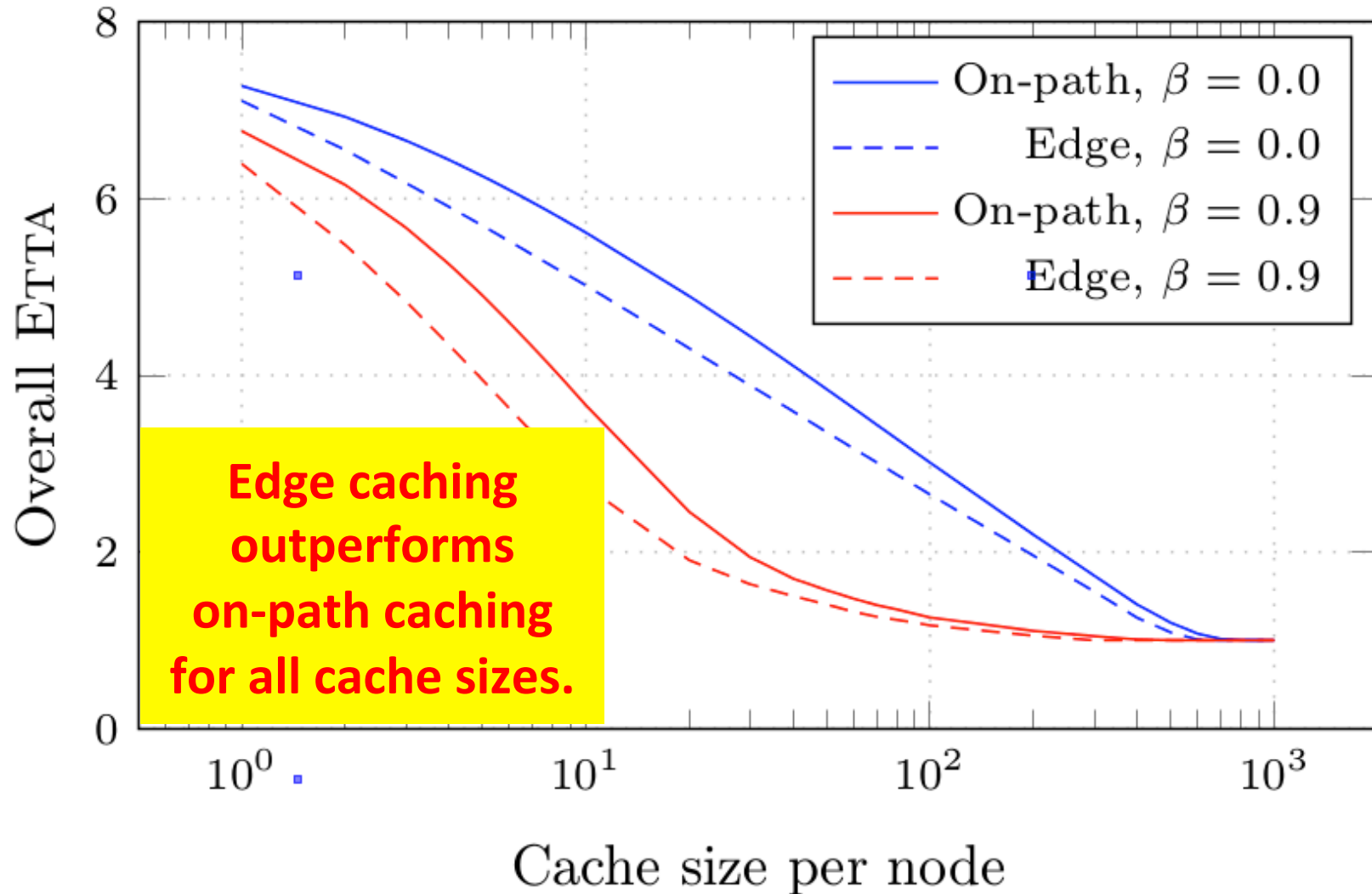
- ❑ Model random networks with random geometric graphs.
- ❑ Voronoi cells and local caches in each cell.
- ❑ On-path caching: Caching along entire path.
- ❑ Edge caching: Caching only within the cell in which request originated.
- ❑ Compare the two using ndnSim simulations:
 - 200 nodes; 8.9 average node degree
 - 1,000 objects with Zipf popularity distribution, uniformly distributed among nodes.



Edge vs. On-Path Caching in Random Networks



Edge vs. On-Path Caching in Random Networks



Summary

- ❑ Modeling framework for hierarchical caching:
 - Optimal on-path caching provides only marginal benefits over edge caching.
- ❑ Tool introduced to synthesize spatial and temporal locality in traces of object requests
 - Optimal caching tends towards the edge for both larger locality of reference and caching budget.
- ❑ Compared edge and on-path caching in random networks:
 - Edge caching outperforms on-path caching.
- ❑ **Edge caching provides “less pain, most of the gain” in ICNs.**

[S. Fayazbakhsh et al., “Less Pain, Most of the Gain: Incrementally Deployable ICN,” ACM SIGCOMM 13]

Next Steps and Implications

- ❑ More realistic topologies.
- ❑ Verify synthetic traces for locality of reference model with real traffic traces.
- ❑ Develop model for random networks.
- ❑ Since edge caching provides most of the caching gains:
 - Only edge routers in ICNs need large caches.
 - New approaches to integrate routing with edge caching.

THANK YOU!

ANY QUESTIONS?